

TOPIC 02 — ATOMIC STRUCTURE

2.2: THE MASS SPECTROMETER

IB Chemistry
T02D02



2.1 The Mass Spectrometer - 1 hour

- 2.2.1 Describe and explain the operation of a mass spectrometer. (3)
- 2.2.2 Describe how the mass spectrometer may be used to determine relative atomic mass using the ^{12}C scale. (2)
- 2.2.3 Calculate non-integer relative atomic masses and abundance of isotopes from given data. (2)
- 1.2.4 – Distinguish between the terms empirical formula and molecular formula
- 1.2.5 – Determine the empirical formula from the percentage composition ~~or from other experimental data~~

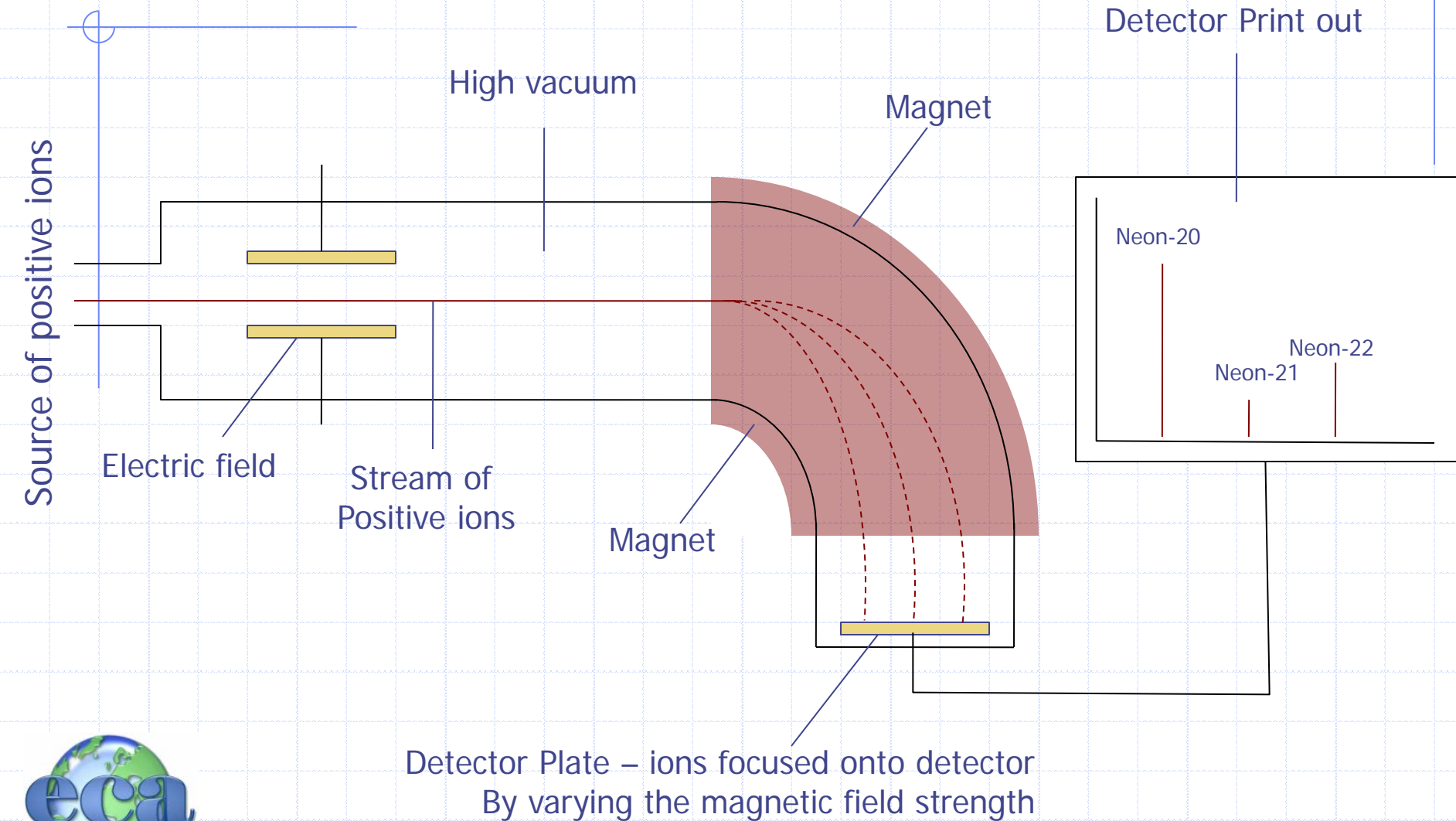


2.2.1 – Operation of Mass Spec

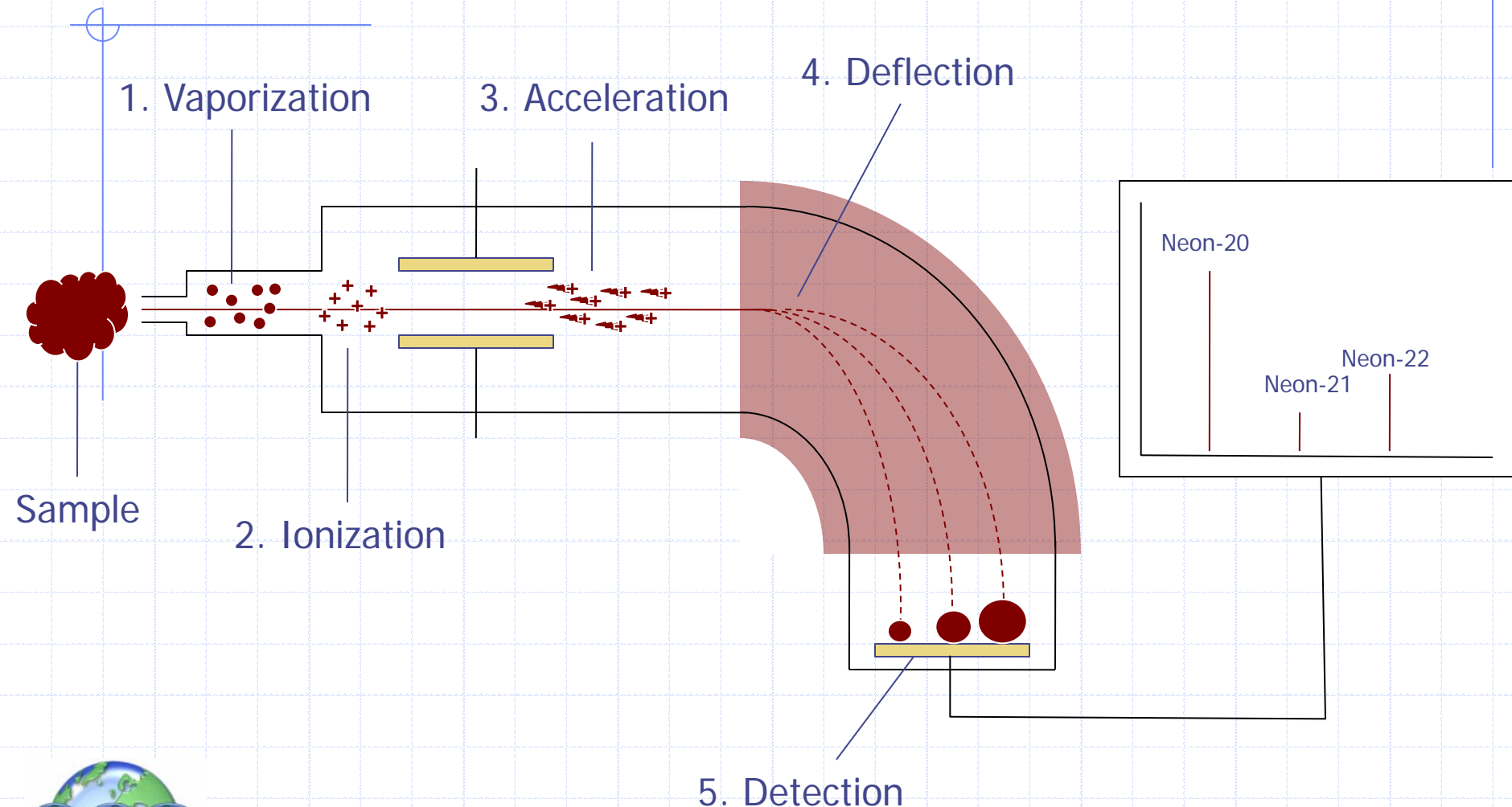
- 2.2.1 – Describe and explain the operation of a mass spectrometer
- What's it for? A **mass spectrometer** allows chemists to determine:
 - Relative atomic masses of atoms
 - Relative molecular masses of compounds
 - Structure of molecules
- How? By splitting up atoms, isotopes or molecules by their mass to charge ratio



2.2.1 – Diagram of a Mass Spec



2.2.1 – Steps of a Mass Spec



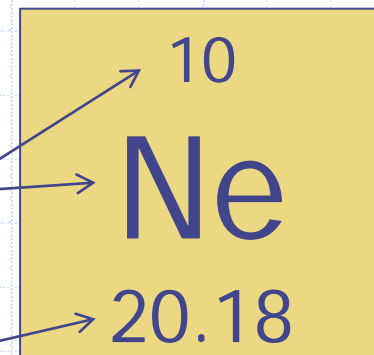
2.2.1 – Explanation of MS steps

- **1. Vaporization:** sample is energized to the state of a gas
- **2. Ionization:** gas is bombarded with high-speed electrons, making uni-positive (+1 charge) ions
 - $M(g) + e^- \rightarrow M^+(g) + 2e^-$
 - All ions in the MS will have the same charge, diff mass
- **3. Acceleration:** the electric field accelerates the positive ions
- **4: Deflection:** a strong magnetic field deflects the particles based on their mass-to-charge (m/z) ratio
- **5: Detection:** a detector counts the numbers of each of the different ions that impact upon it, providing a measure of the percentage abundance of each isotope



2.2.2 – What can we use MS data for?

- 2.2.2 – Describe how the mass spectrometer may be used to determine relative atomic mass using the ^{12}C (carbon-12) scale.
- Elements in the Periodic table have:
 - **Chemical Symbol**
 - **Atomic Number** (protons)
 - **Relative Atomic Mass** (A_r is NOT mass number)
- The majority of compounds exist as isotopes in a fixed proportion where each isotope has a different mass number. A weighted average of the abundance of each would give the A_r



2.2.2 – Relative Atomic Mass

- The weighted average (A_r) is only given a value compared to the mass of the carbon-12 atom
- $1/12^{\text{th}}$ of carbon 12 would be one unit!
- So it's simply the weighted average divided by one!
- $A_r = \frac{\text{weighted average mass of isotopes of the element}}{\frac{1}{12} \times \text{the mass of one atom of carbon-12}}$
- Use chlorine as an example:
 - Chlorine-35 = 75%
 - Chlorine-37 = 25%



Before we calculate, what number (35,37) should the weighted average be closer to?

2.2.2 – Simple A_r Calculation

- $A_r \text{ Cl} = (0.75 \times 35\text{amu}) + (0.25 \times 37\text{amu})$
- $A_r \text{ Cl} = 35.5 \text{ g/mol}$
- What is an **amu**?
 - Atomic Mass Units ($1/12^{\text{th}}$ of the carbon mass)
 - The units are grams per mole (**g/mol**)
- Now try the ones on your notes.....



2.2.3 – Non-integer A_r Calcs

- 2.2.3 – Calculate non-integer relative atomic masses and abundance of isotopes from given data
- The relative atomic mass (A_r) of Gallium is 69.7 g/mol. There are two stable isotopes ^{69}Ga and ^{71}Ga , calculate the percentage abundance of each:



2.2.3 – Find % Example

- The relative atomic mass (A_r) of Gallium is 69.7 g/mol. There are two stable isotopes ^{69}Ga and ^{71}Ga , calculate the percentage abundance of each:
- If $^{69}\text{Ga}\% = (x)$; then $^{71}\text{Ga}\% = (1-x)$
- $69.7 = (69x) + (71(1-x))$
- $69.7 = 69x + 71 - 71x$
- $-1.3 = -2x$
- $x = 0.65 = 65\% ^{69}\text{Ga}$, $35\% ^{71}\text{Ga}$
- This is simple algebra, let's try some examples.....



1.2.4-5: Empirical/Molecular Formulas

- 1.2.4 – Distinguish between the terms empirical formula and molecular formula
- 1.2.5 – Determine the empirical formula from the percentage composition ~~or from other experimental data~~
- The **empirical formula** of a substance is the lowest whole number ratio of elements in the compound (simplified, like CH_2O)
- The **molecular formula** of a substance is the actual numbers of elements (like $\text{C}_6\text{H}_{12}\text{O}_6$)



2.2 1.2.5 – Using MS data to find the empirical formula

- Determine the empirical formula of a compound with 79.9% Carbon and 20.1% Hydrogen
- 1. Assume the % to be grams (out of 100g sample)
- 2. Convert grams of each element to moles using the molar mass (g/mol) (we will cover soon!)
- 3. Write the equation with mole ratios
- 4. Divide by the smallest # of moles
- 5. If needed, multiply until all have whole numbers



1.2.5: % to Empirical Example

- Determine the empirical formula of a compound with 79.9% Carbon and 20.1% Hydrogen
- $79.9\% \text{ C} = 79.9\text{g C} \times \frac{1\text{mol C}}{12.01\text{ g C}} = 6.65 \text{ mol C}$
- $20.1\% \text{ H} = 20.1\text{g H} \times \frac{1\text{mol H}}{1.01\text{ g H}} = 19.9 \text{ mol H}$
- $\text{C}_{6.65}\text{H}_{19.9} / 6.65 = \text{CH}_{2.99}$
- Round off 2.99 to 3, so we have **CH₃** as our **empirical formula**
- BUT, this is not the correct molecular formula....



1.2.5: Find Molecular from Empirical

- In order to find the molecular formula from the empirical formula you need more information to be given or found experimentally.
- So, if you were told that your molecular compound (that has an empirical formula of CH_3) has a molecular mass of 30.08, what would the molecular formula be?
- $\text{CH}_3 = (12.01 + (1.01 \times 3)) = 15.04 \text{ g/mol}$
- $30.08 = 15.04 \times 2$ so, $\text{CH}_3 \times 2 = \text{C}_2\text{H}_6$

■ **C_2H_6 is your molecular formula!**



2.2 2.2.3: Find % Composition from Empirical or Molecular Formulas

- To backtrack, if you know the molecular formula to be C_2H_6 , find the percentage composition of each compound. (This is theoretical, whereas Mass Spec data would be experimental)
- $\% = \frac{\text{\#moles in formula} \times \text{Molar Mass of element}}{\text{Molar Mass of Empirical (or Molecular) Formula}} \times 100$
- $\%C = \frac{2 \times 12.01}{30.08} \times 100 = 79.9\% \text{ C}$
- $\%H = \frac{6 \times 1.01}{30.08} \times 100 = 20.1\% \text{ H}$

